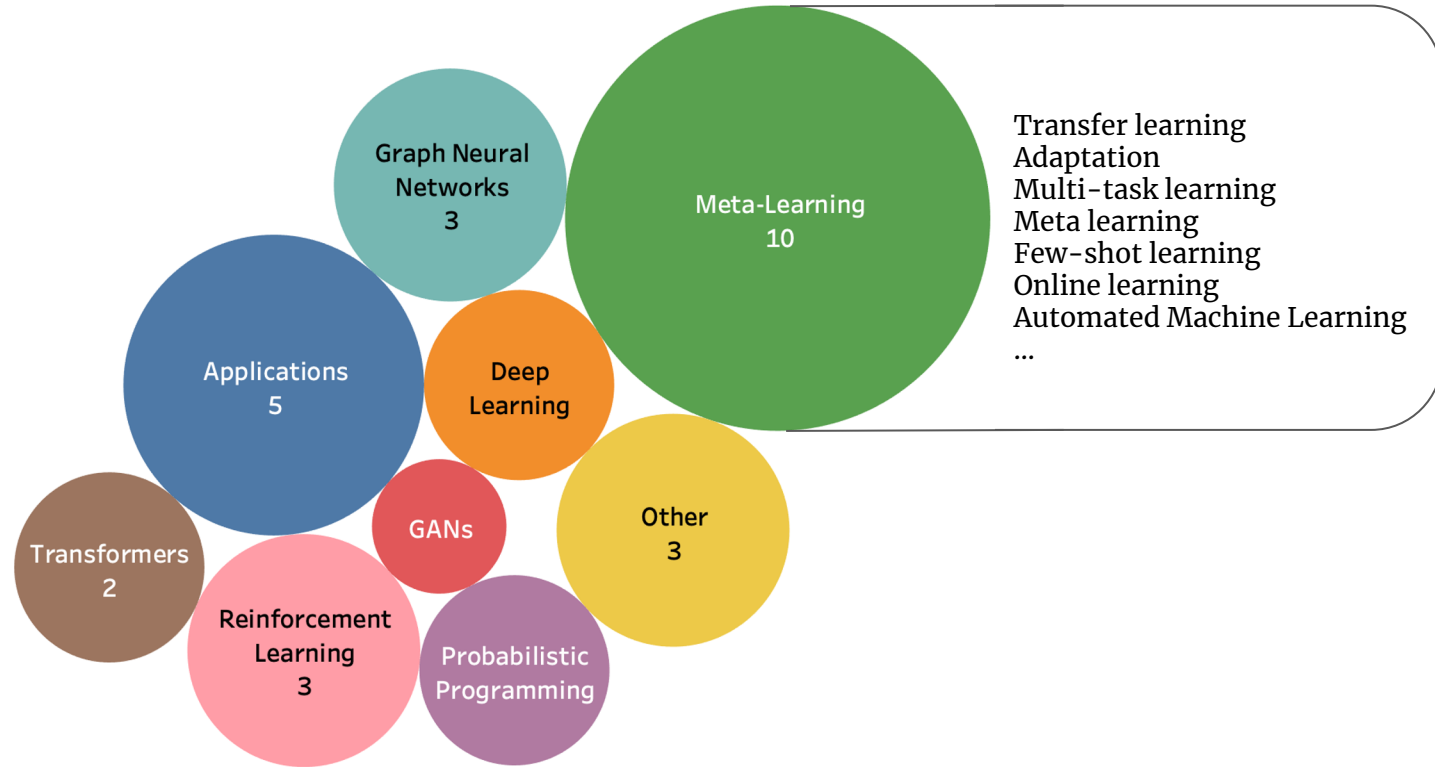


# **Meta Learning**

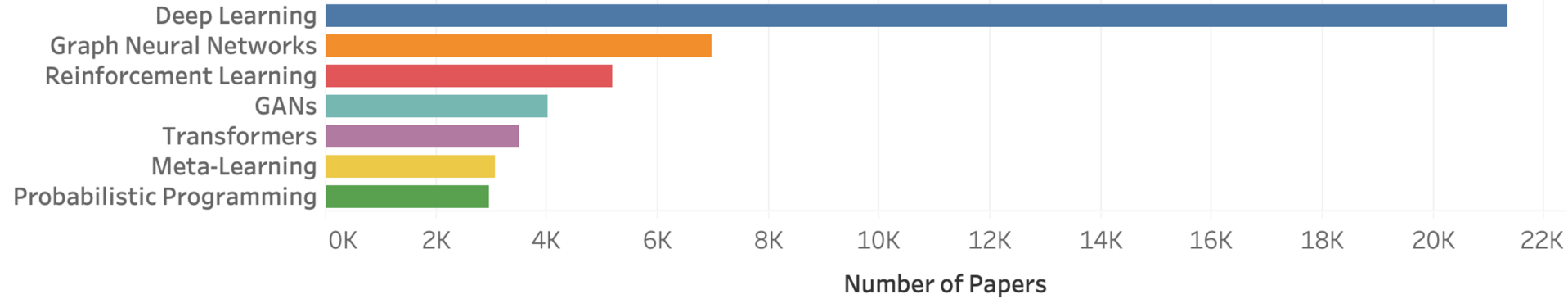
**MIT**

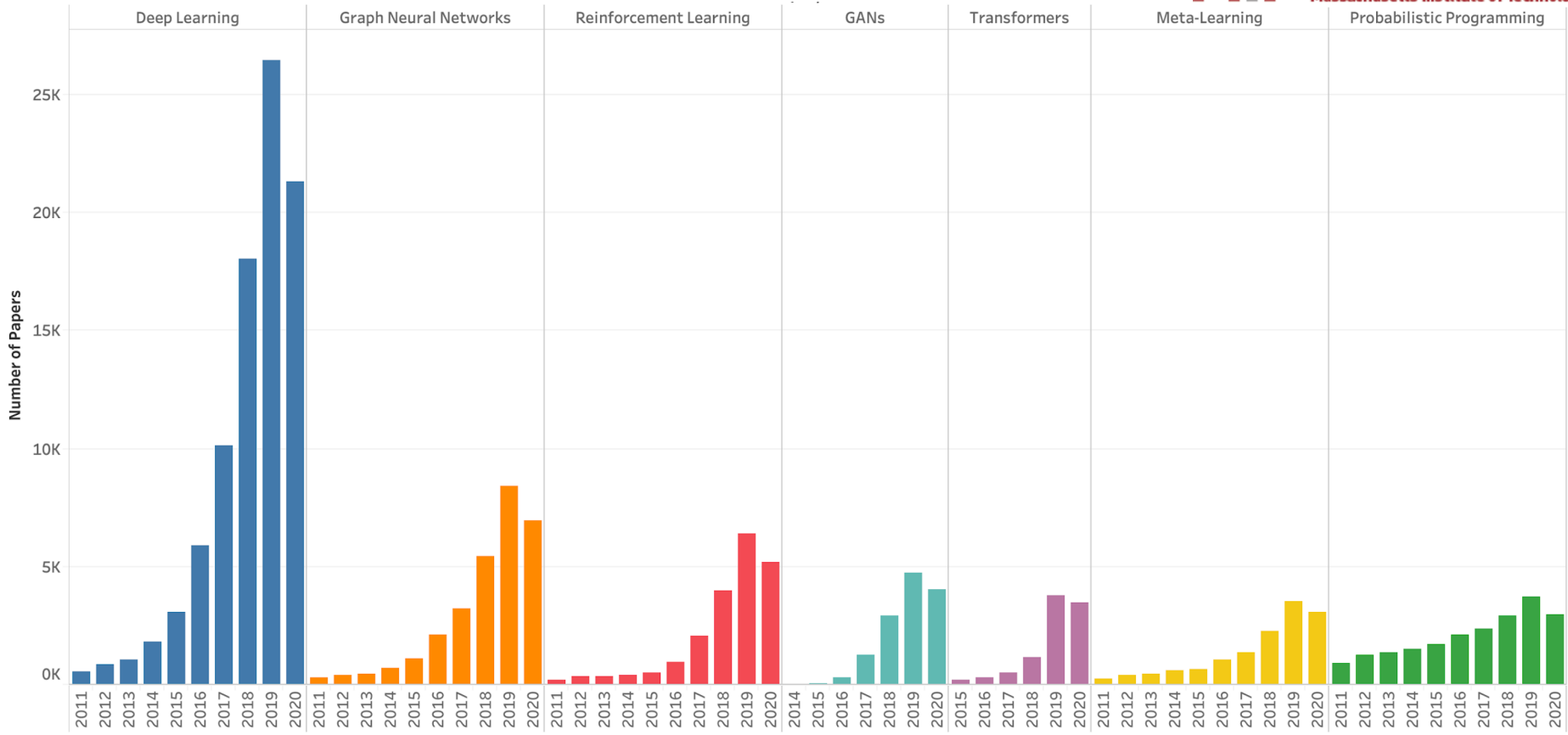
**Iddo Drori, Fall 2020**

# Course Overview: Lecture Topics



# # of Papers in 2020 (so far)





Data Source: IBM Science Summarizer



# Motivation

# Human Brain Connectome

- 100 Billion neurons (1 Billion neurons in cat brain)
- 100 Trillion connections: each neuron connects to 5k-200k
- 10k different types of neurons
- 1k new neurons per day our entire life

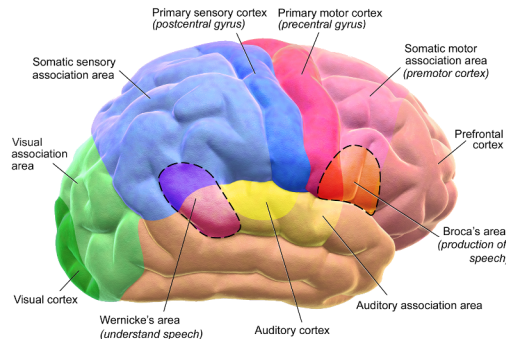
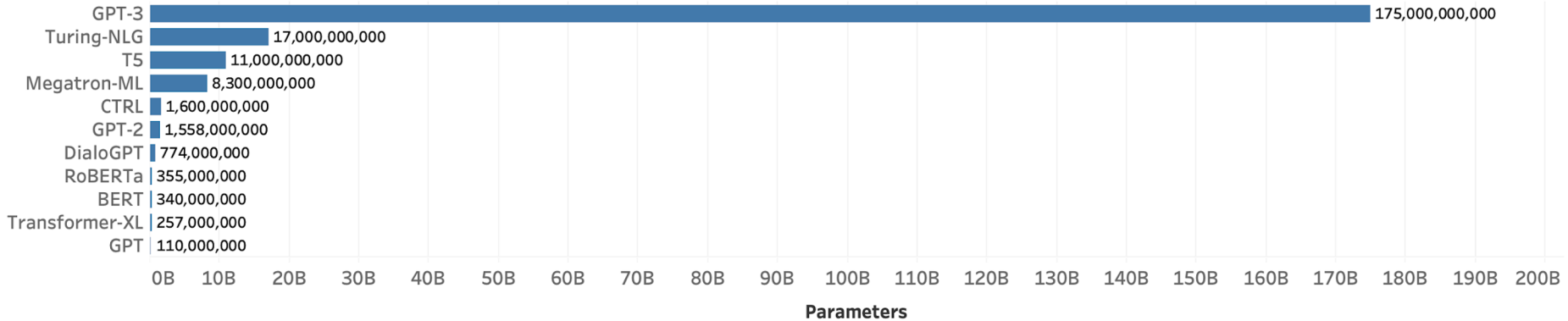


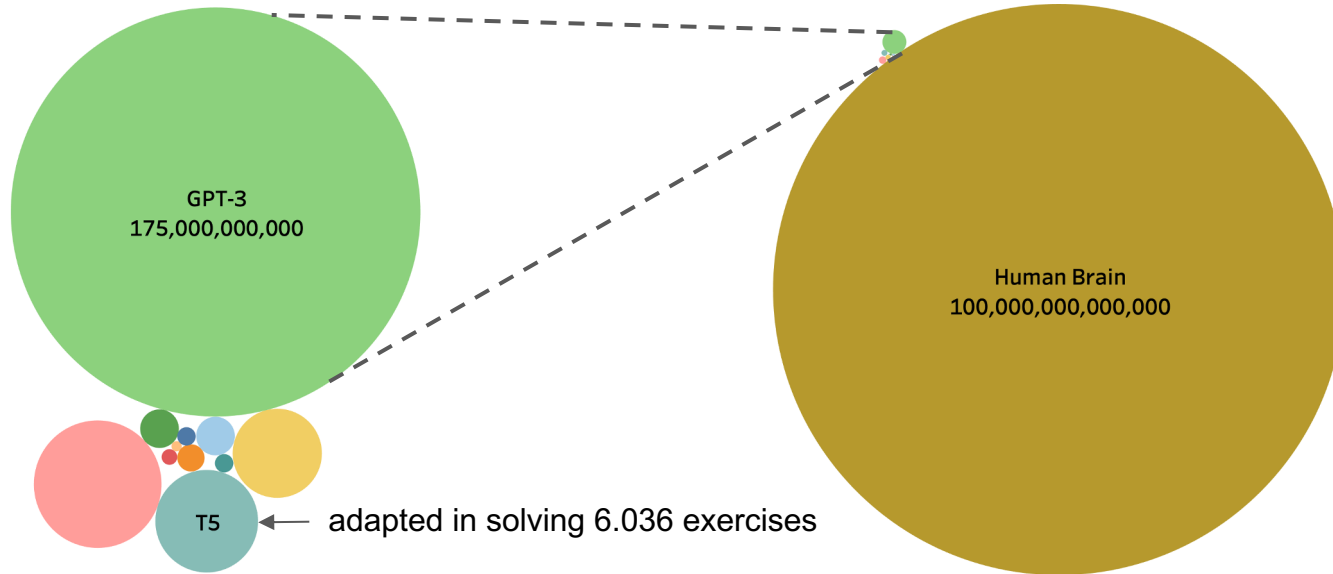
Image Source: Wikipedia

# Transformer Parameters



- 3 orders of magnitude less parameters than number of connections in human brain

# Number of Connections or Parameters



- Transformers have 3 orders of magnitude less parameters than number of connections in human brain

# Super-Human ML Systems: AlphaX

- AlphaZero: board games
- AlphaStar: multiplayer online games
- AlphaFold: protein structure prediction
- AlphaD3M: automated machine learning
- AlphaStock: stock trading
- ..
- AlphaDogfight: fighter pilot

# DARPA Programs

- Self driving grand challenge 2 decades ago: competitive.

Recent collaborative efforts

- Data-Driven Discovery of Models (D3M): AutoML
- Learning with Less Labels (LwLL): few shot learning
- Lifelong Learning Machines (L2M): online learning
- Machine Common Sense (MCS)

Automated machine learning, few shot learning, online learning, learn to read, natural language understanding

# Meta Learning Definitions

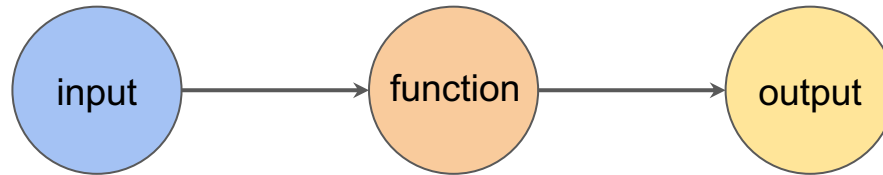
# Definitions

- Supervised learning
  - Transfer learning
  - Meta learning
  - Automated machine learning
- 
- Adaptation
  - Multi-task learning
  - Few-shot learning
  - Online learning



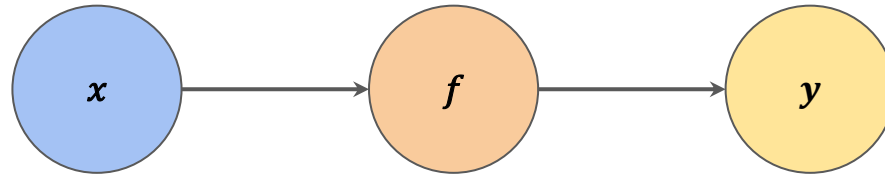
# Observation

- Input  $\mathbf{x}_{d \times 1}$
- Function  $\mathbf{f}$
- Output  $\mathbf{y}_{1 \times 1}$



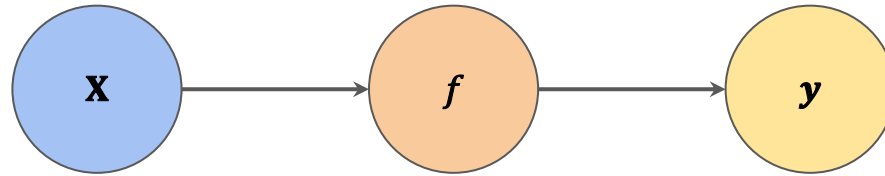
# Observation

- Input  $\mathbf{x}_{d \times 1}$
- Function  $\mathbf{f}$
- Output  $\mathbf{y}_{1 \times 1}$



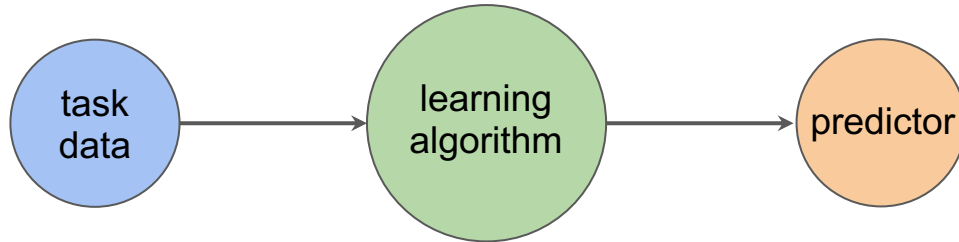
# Observations

- Input  $\mathbf{X}_{dxm}$
- Function  $\mathbf{f}$
- Output  $\mathbf{y}_{mx1}$

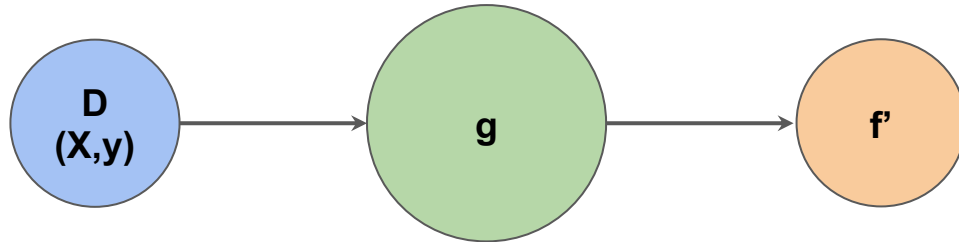


$$\mathbf{y} = f(\mathbf{X})$$

# Supervised Learning

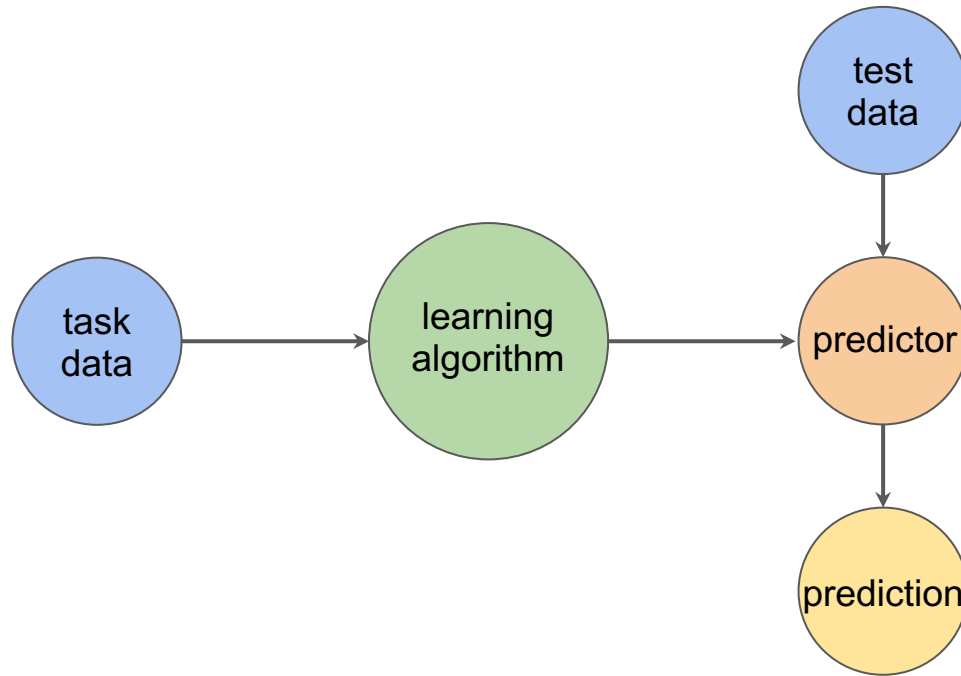


# Supervised Learning

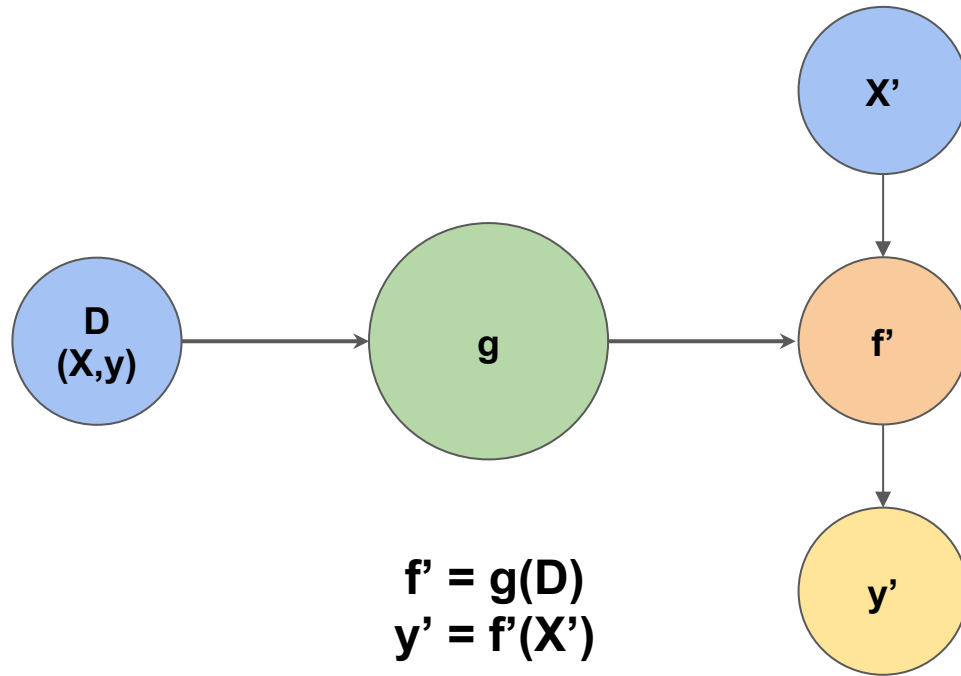


$$f' = g(D)$$

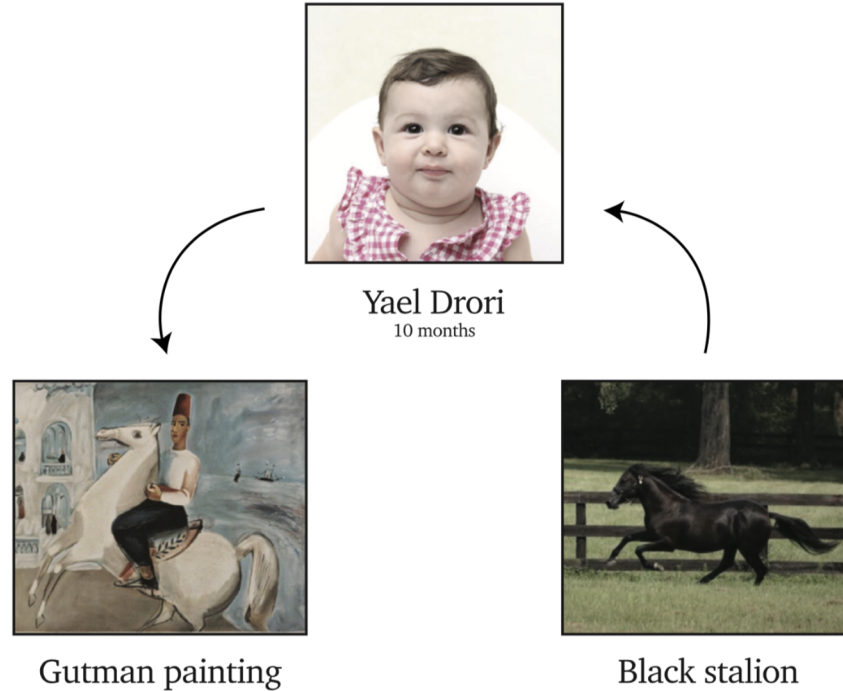
# Supervised Learning



# Supervised Learning



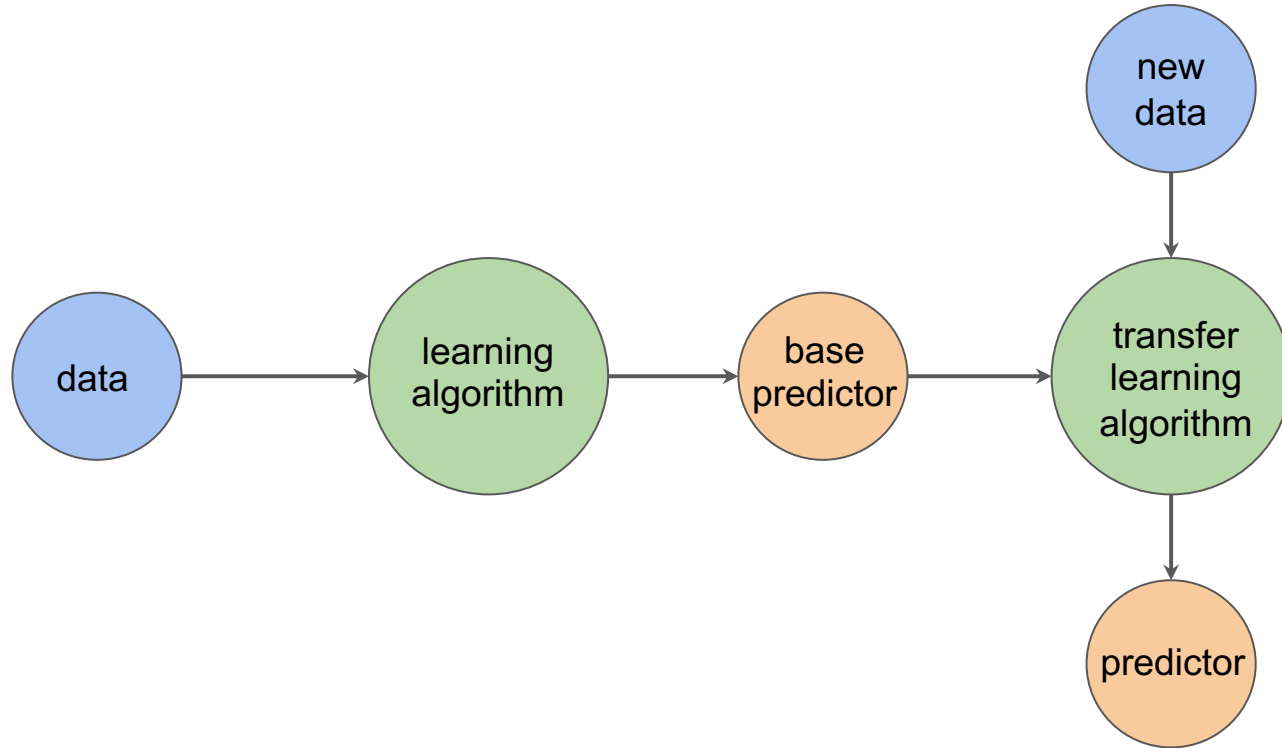
# Transfer Learning



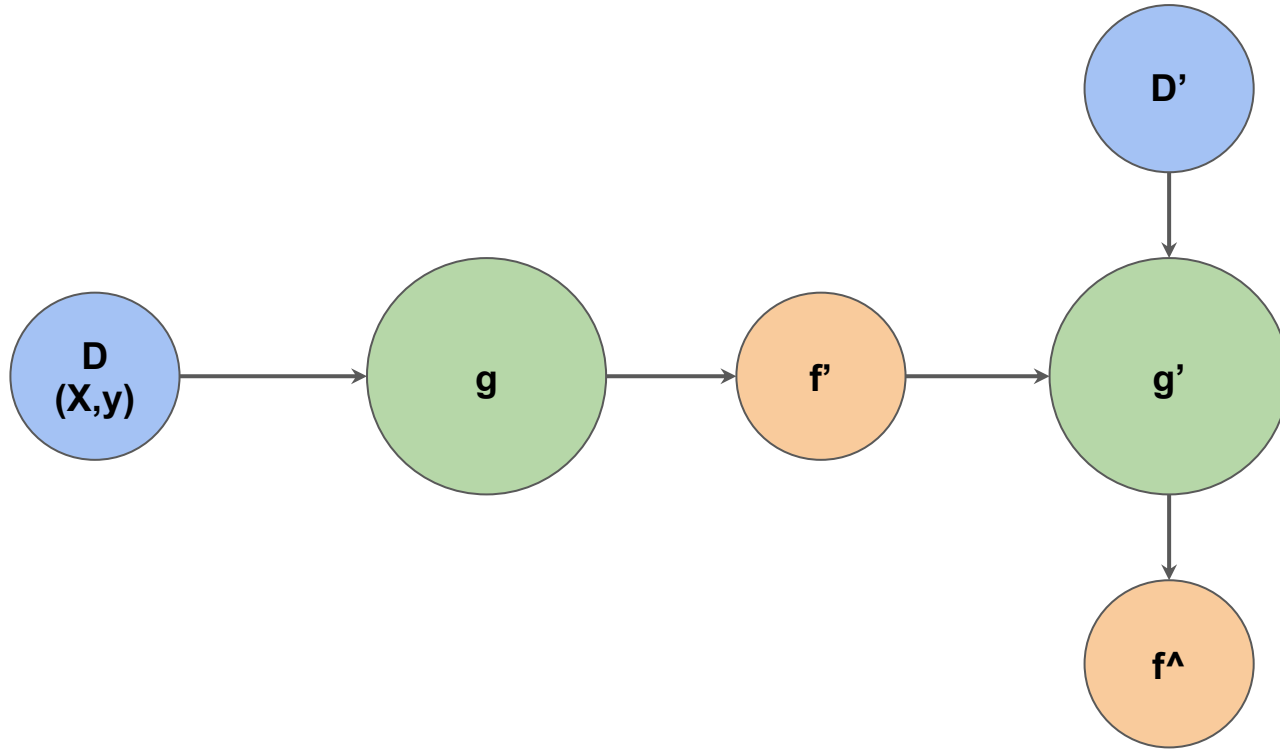
Source: Deep Learning course 2017, Iddo Drori



# Transfer Learning

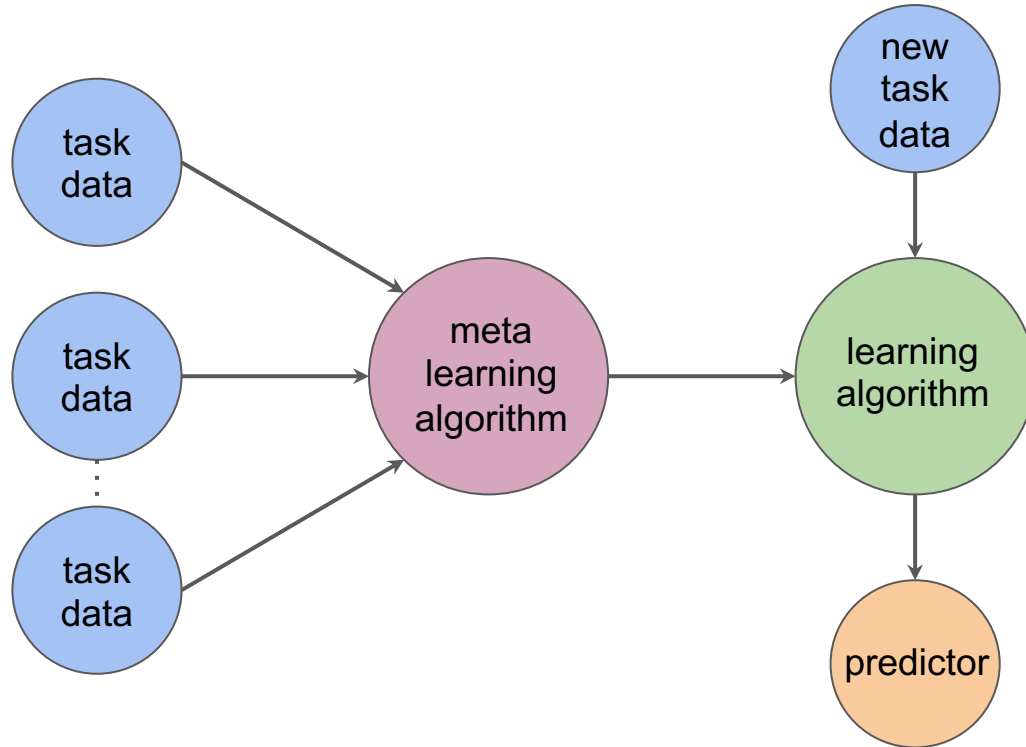


# Transfer Learning

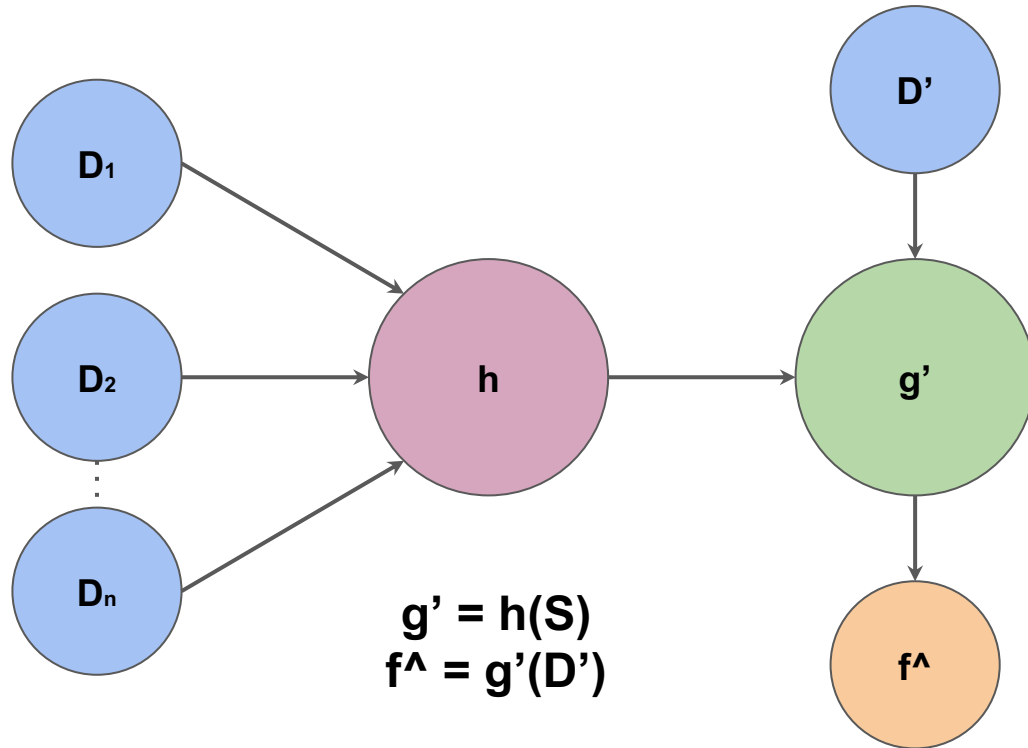


# Meta Learning

task = data splits, priors

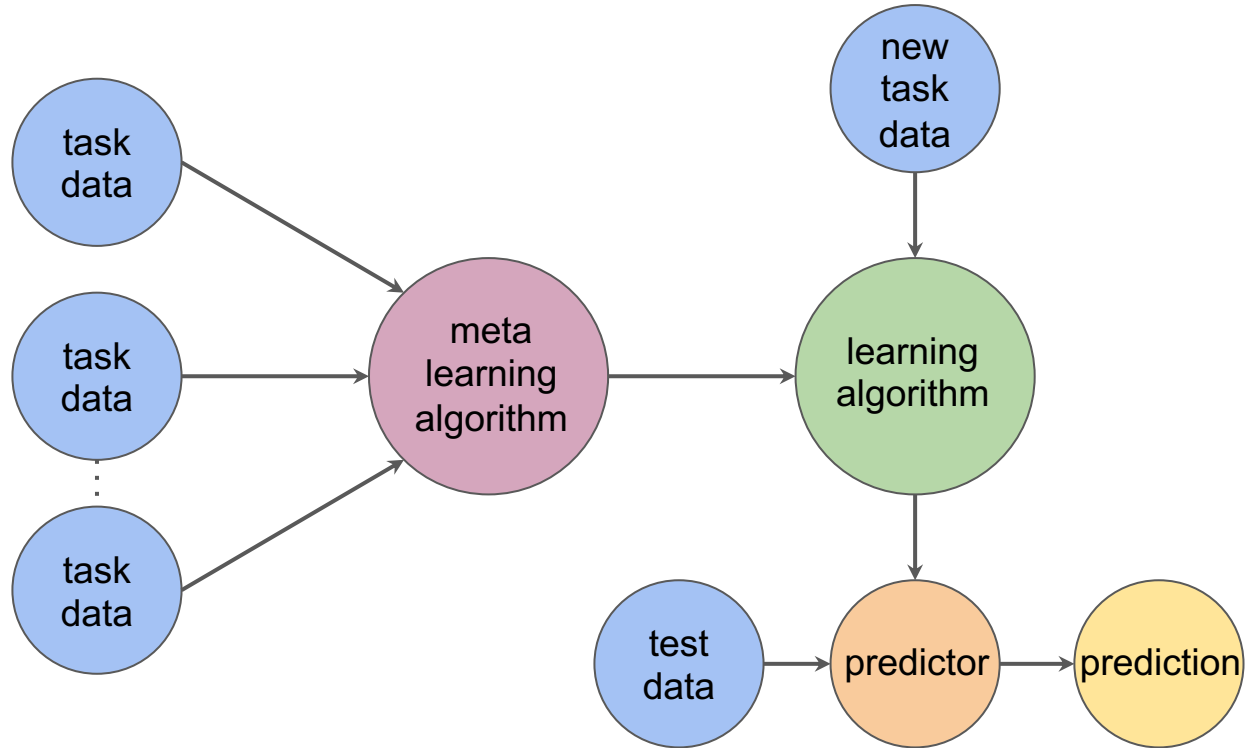


# Meta Learning

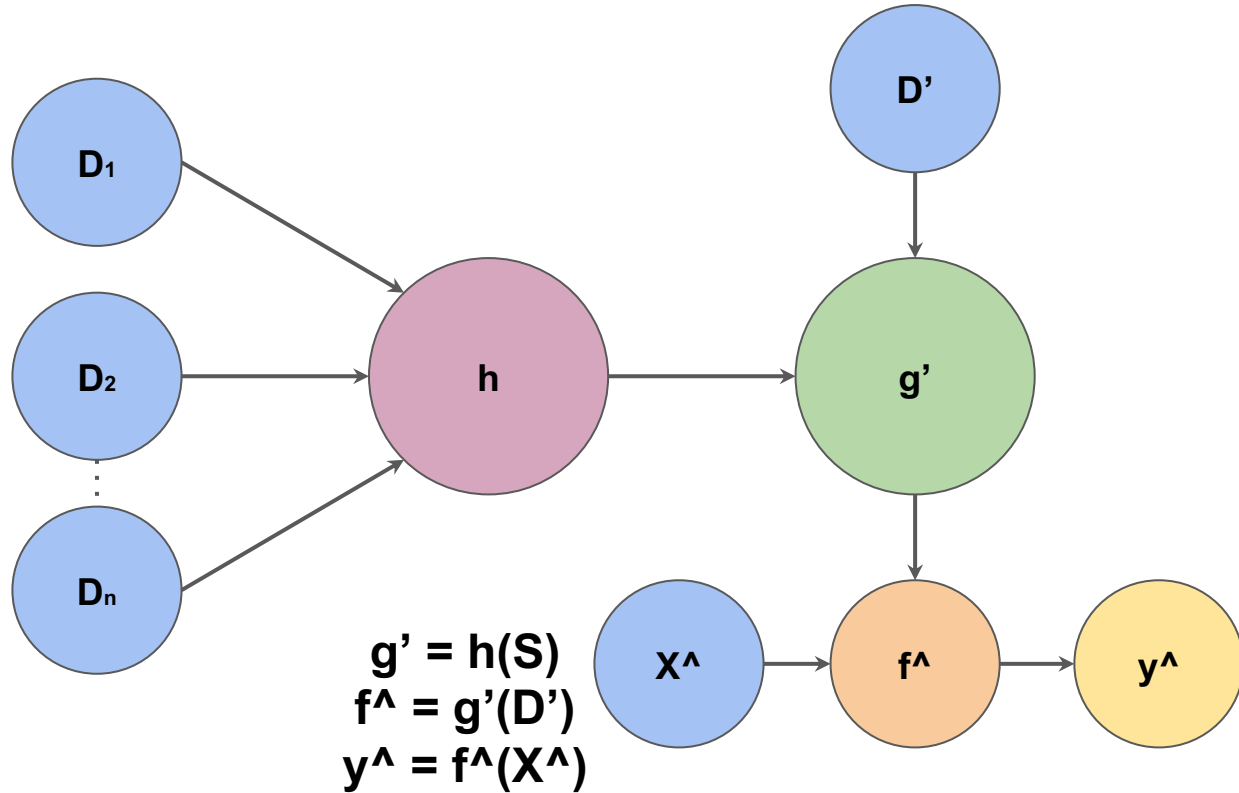


# Meta Learning

task = data splits, priors

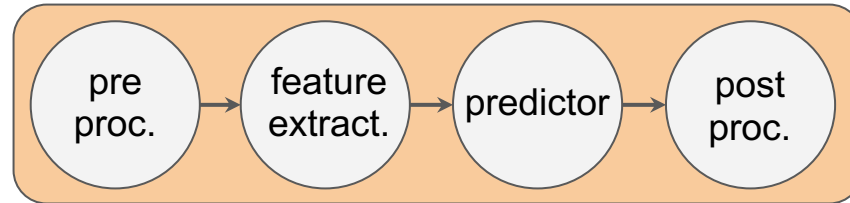


# Meta Learning

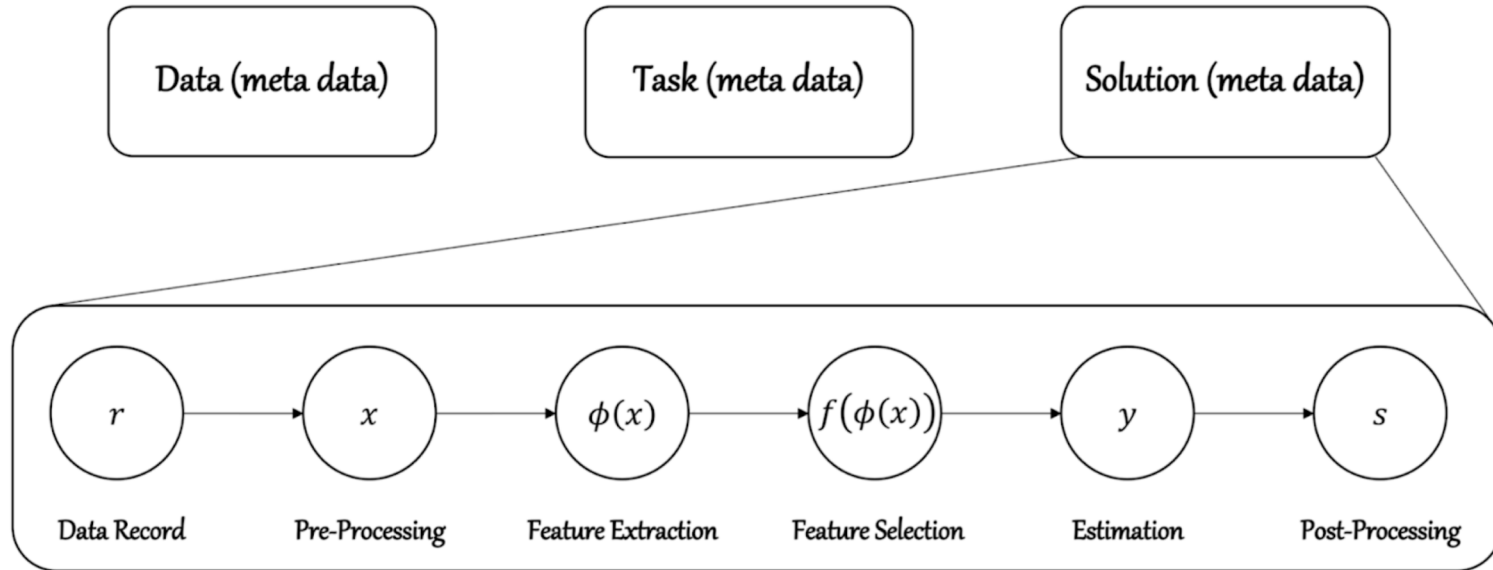


# Machine Learning System

- Predictor is part of a machine learning system
- Built from data science / machine learning primitives
- Machine learning primitive = {PCA, SVM, NN,...}
- Example machine learning pipeline:



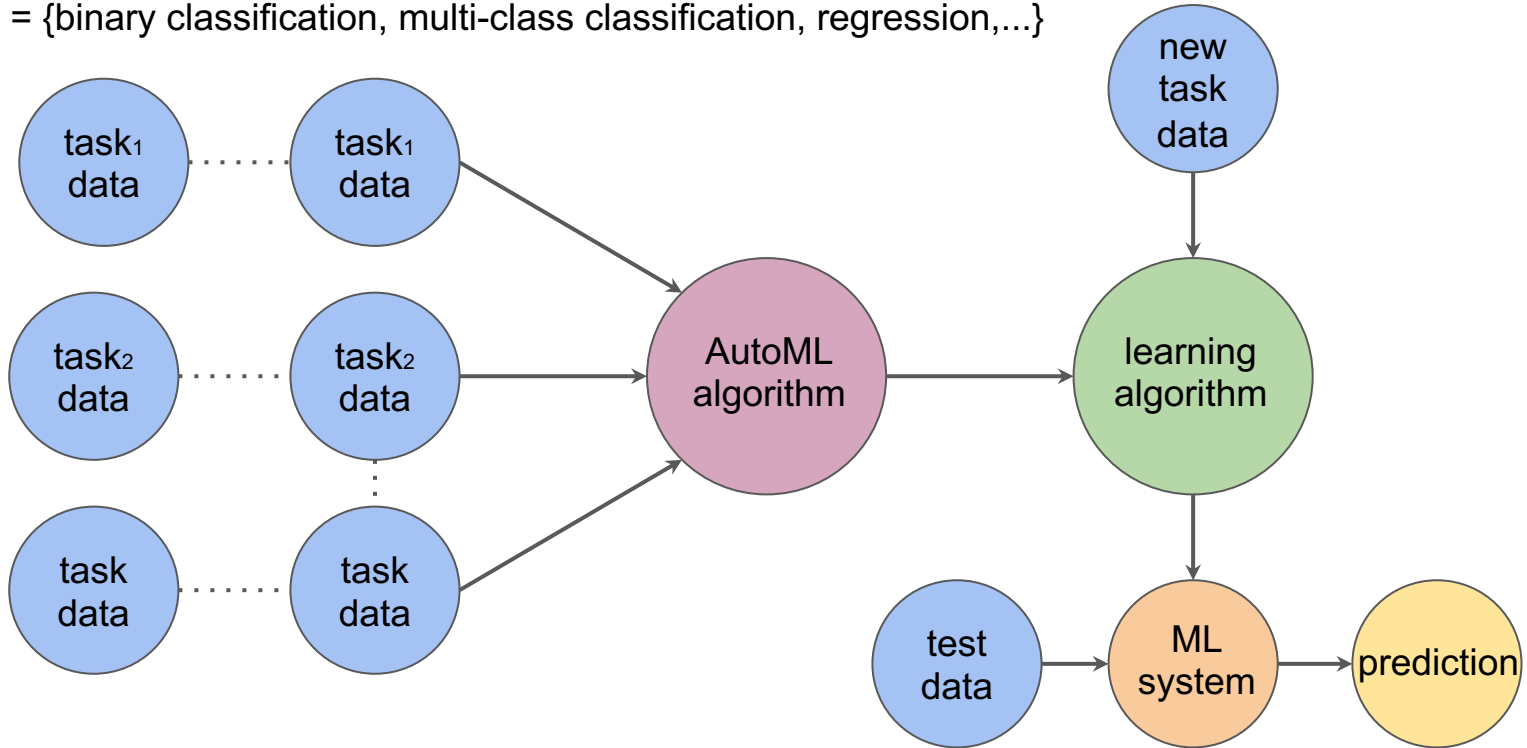
# Machine Learning Pipeline



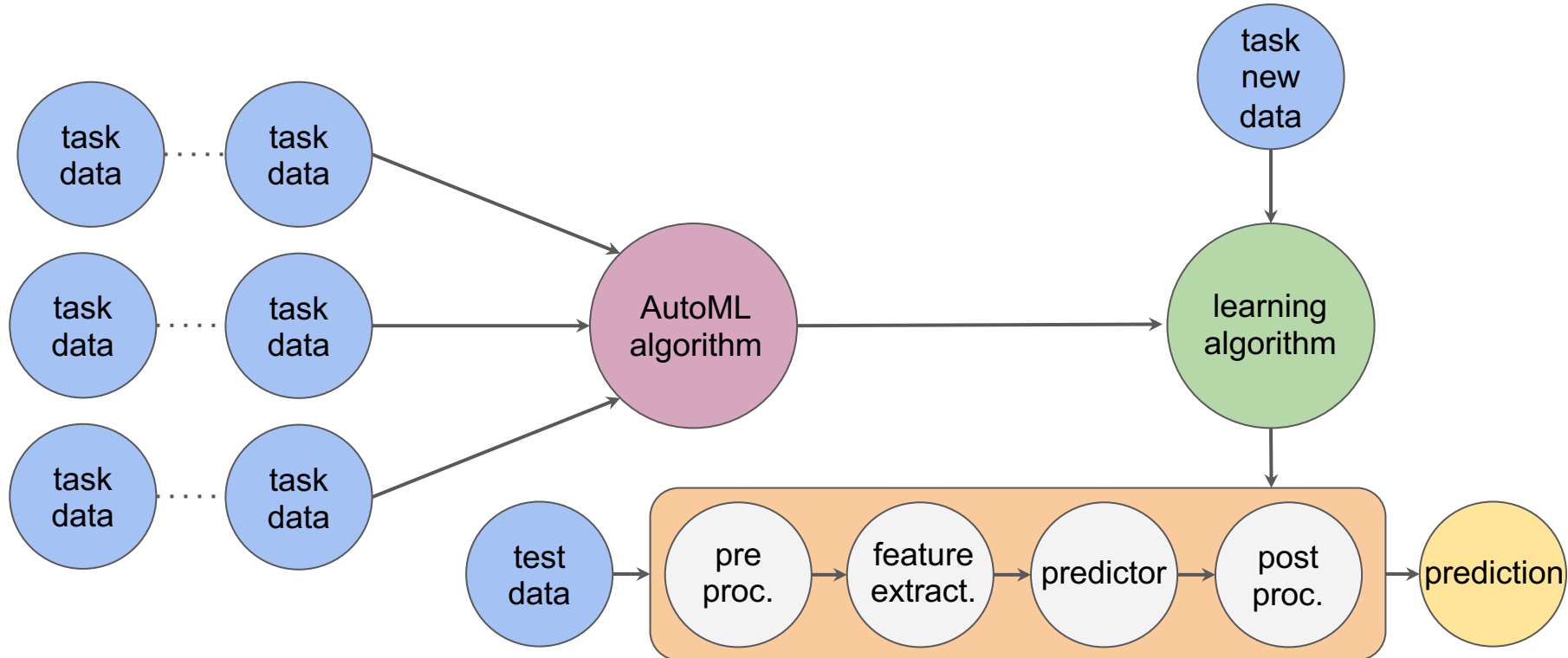


# Automated Machine Learning

tasks = {binary classification, multi-class classification, regression,...}



# Automated Machine Learning (AutoML)

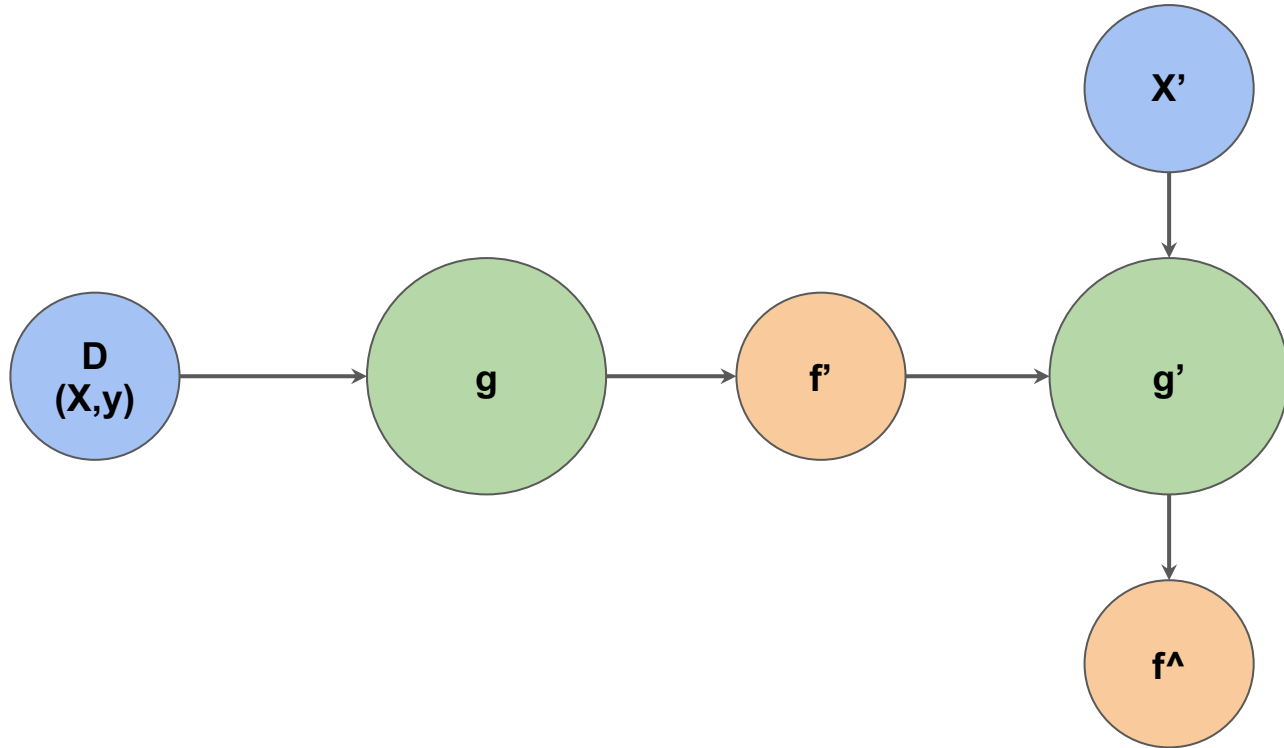


# Learning to Learn

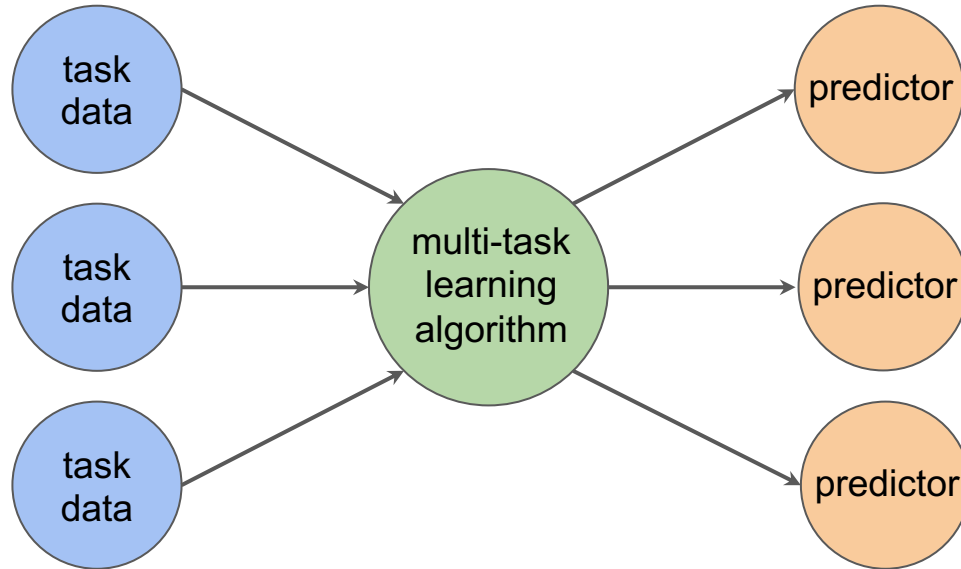
- Machine Learning: learn parameters of  $\mathcal{M}$
- Learning to learn: learn  $\mathcal{M}$  and parameters

where  $\mathcal{M}$  is a classifier or machine learning pipeline or machine learning algorithm or reinforcement learning method, ect.

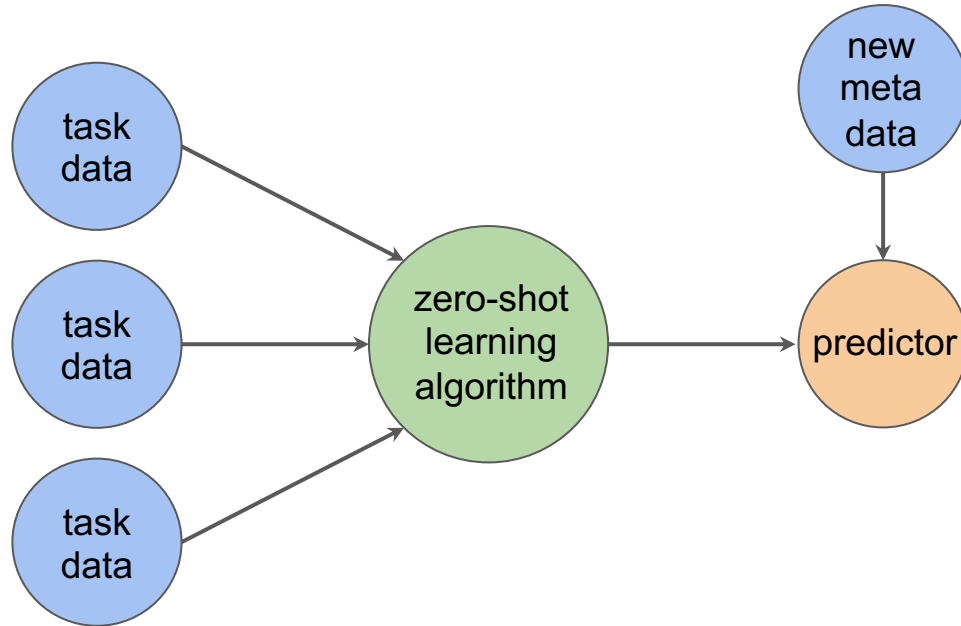
# Adaptation (Unsupervised Transfer Learning)



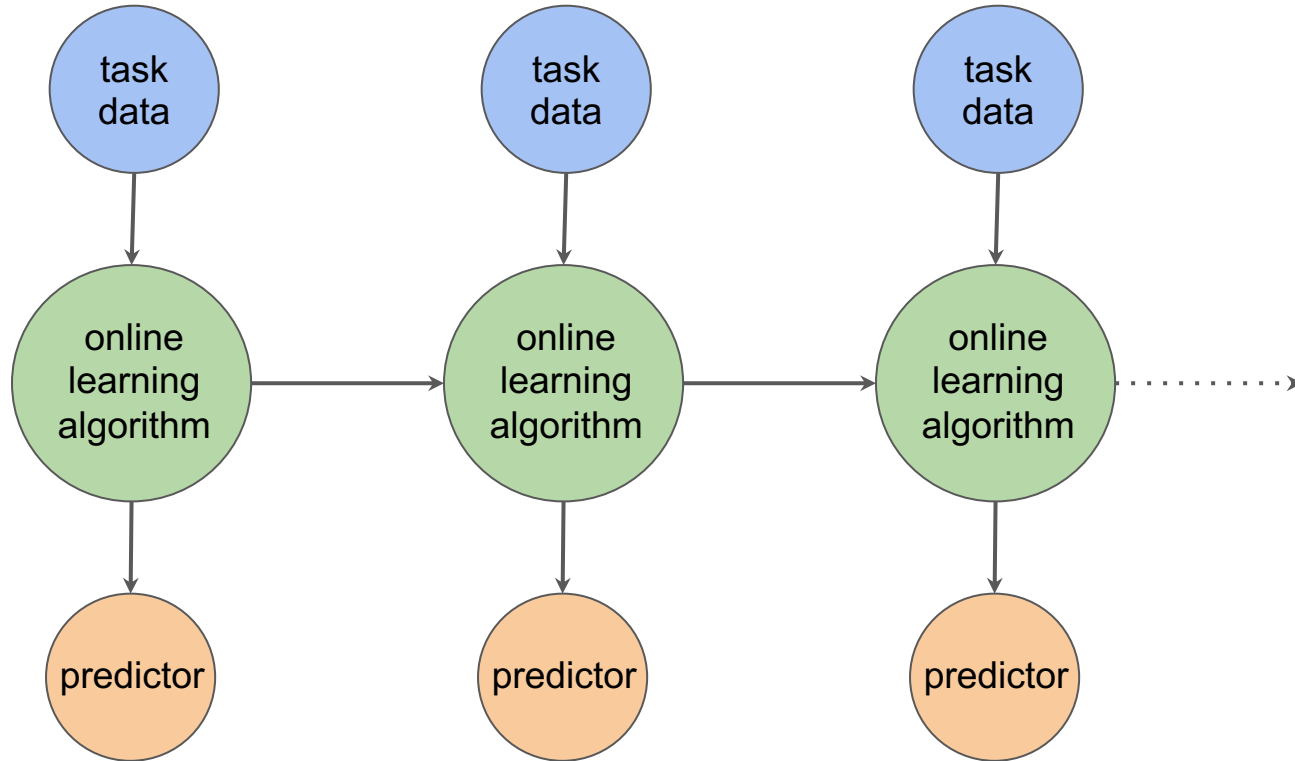
# Multi-Task Learning



# Zero-Shot Learning



# Online Learning (Sequential, Lifelong learning)



# Applications



# Applications

- Automated machine learning
- Computer vision: learning from small data, ..
- Robotics: learning from a few examples, ..
- Information retrieval: adaptation between domains
- Natural language processing
- Cross-lingual generalization
- Machine translation
- Mobile data analysis
- Discovering physics formulas
- Education, answering and generating math questions
- Learning to learn courses
- Learning to code
- Combinatorial optimization
- Autonomous vehicle

# DARPA Data Driven Discovery of Models (D3M)

- AutoML goal: solve any task on any dataset specified by a user.
- Broad set of computational primitives as building blocks.
- Automatic systems for machine learning, synthesize pipeline and hyperparameters to solve a previously unknown data and problem.
- Human in the loop: user interface that enables users to interact with and improve the automatically generated results.
- Pipelines: pre-processing, feature extraction, feature selection, estimation, post-processing, evaluation

# Human Example



# Learning to Code

- Background
- Human performance similar to sports..
- Machines will be in a league of their own.
- Code machines to learn to code.

# Bayesian Inference

# Probability

- Observed data  $x$ , latent variables  $z$
- Inference about hidden variables given by posterior conditional distribution  $p(z|x)$

$$p(z, x) = p(z|x)p(x) = p(x|z)p(z) = p(x, z)$$

- Extending likelihood  $p(x|z)$  times prior  $p(z)$  to multiple layers

$$p(x|z_1)p(z_1|z_2) \cdots p(z_{l-1}|z_l)p(z_l)$$

- Bayes rule

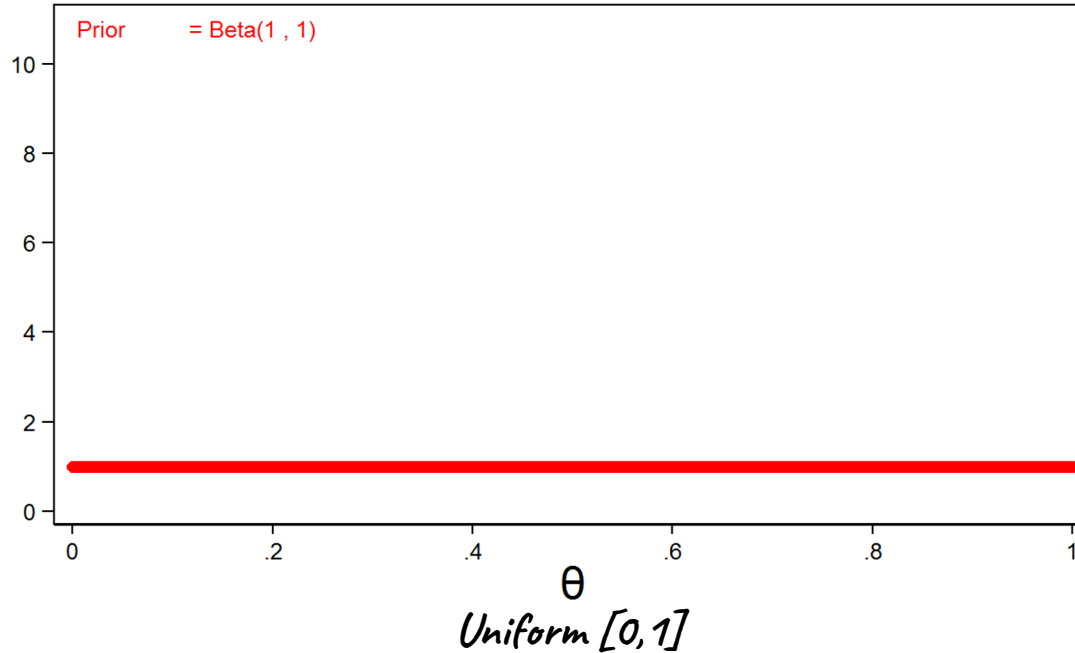
$$p(z|x) = \frac{p(x|z)p(z)}{p(x)}$$

# Probability

- High dimensional intractable integral over exponential number of terms for  $z$ :

$$p(x) = \int p(x|z)p(z)dz$$

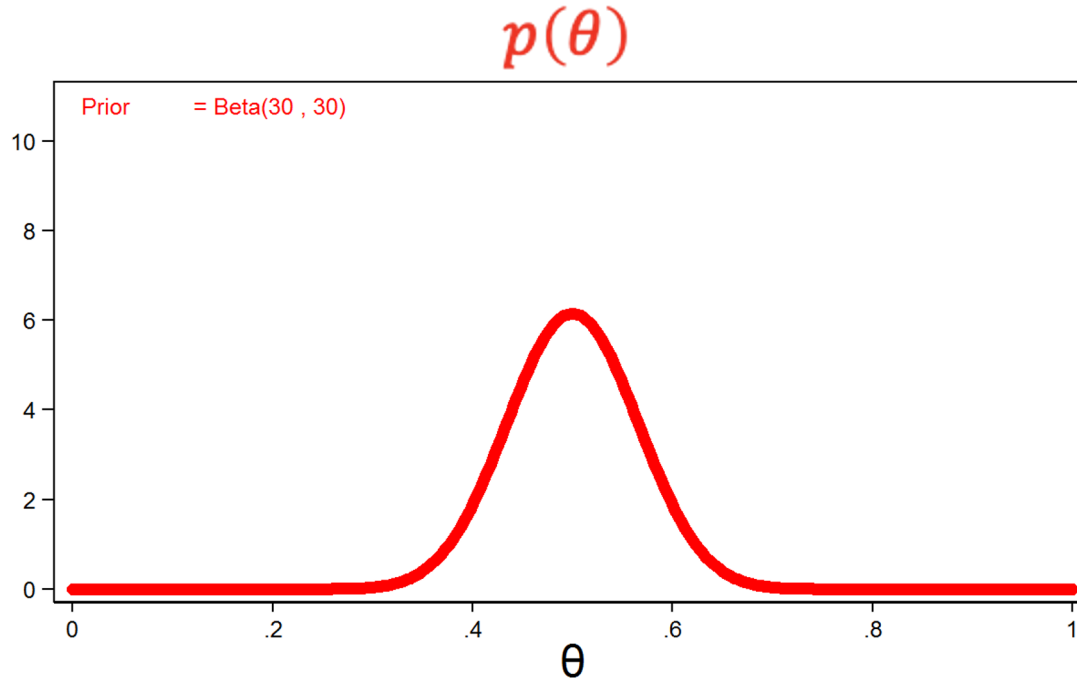
# Uninformative Beta prior



Animation Source: Stata

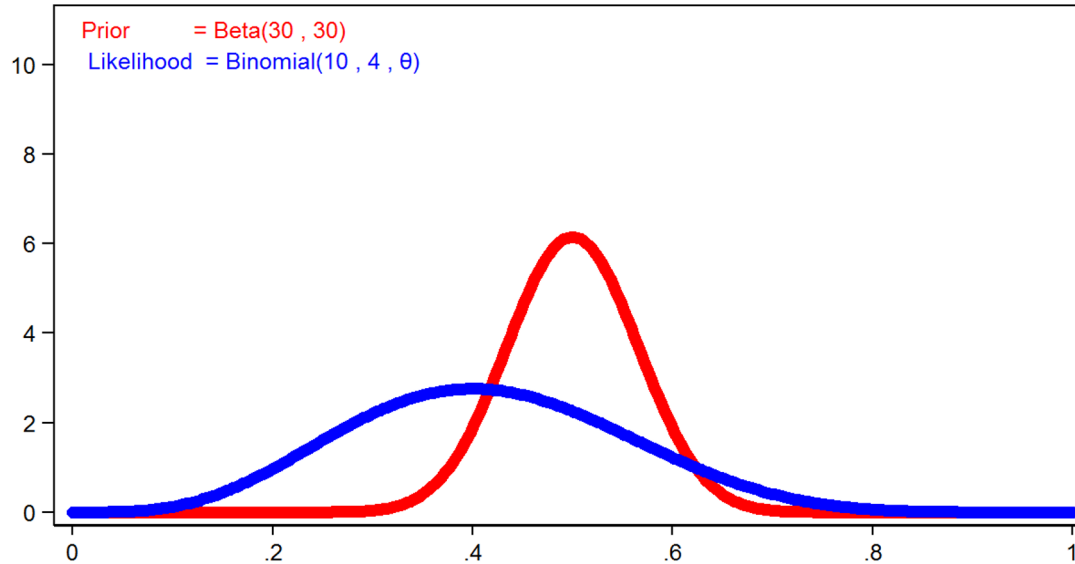


# Informative Beta prior distribution



# Binomial likelihood and Beta prior

$$p(\theta) \quad p(y|\theta)$$

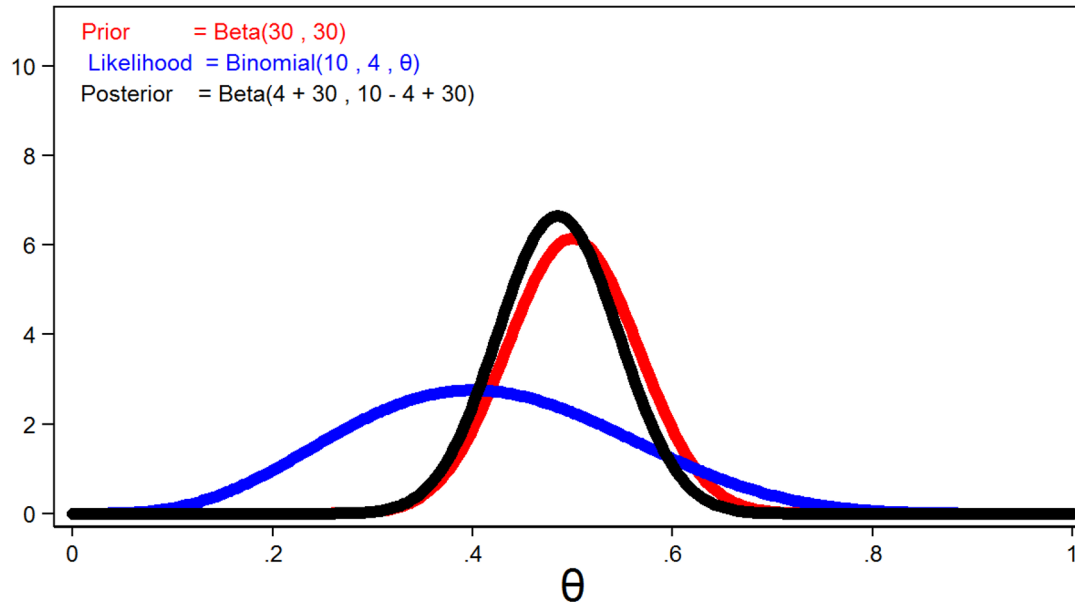


*Observe 4 heads out of 10 coin flips*  
*Binomial likelihood function*

# Update belief based on result of experiment

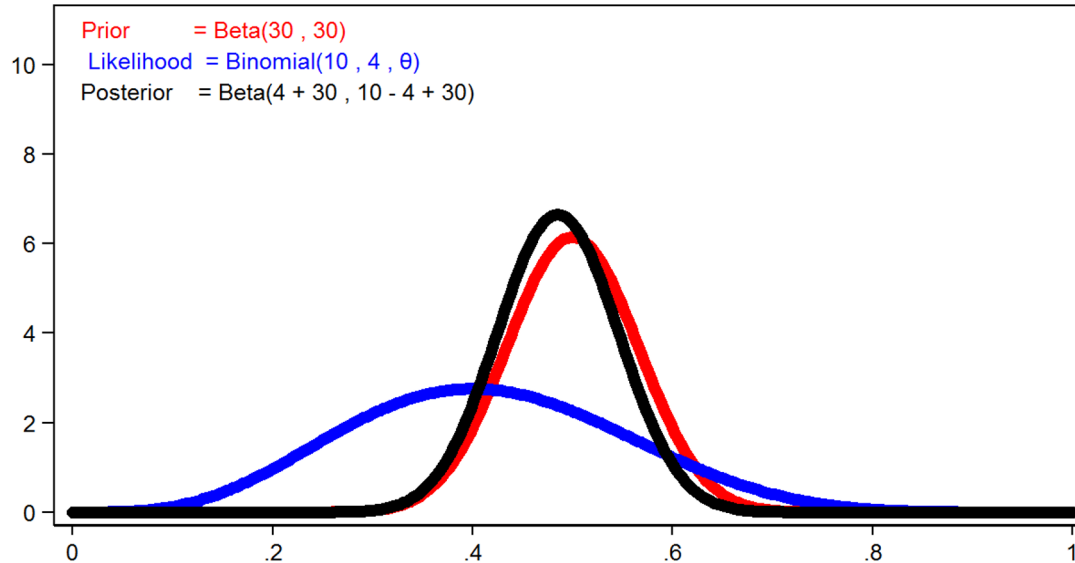
Posterior  $\propto$  Prior  $\times$  Likelihood

$$p(\theta|y) \propto p(\theta)p(y|\theta)$$



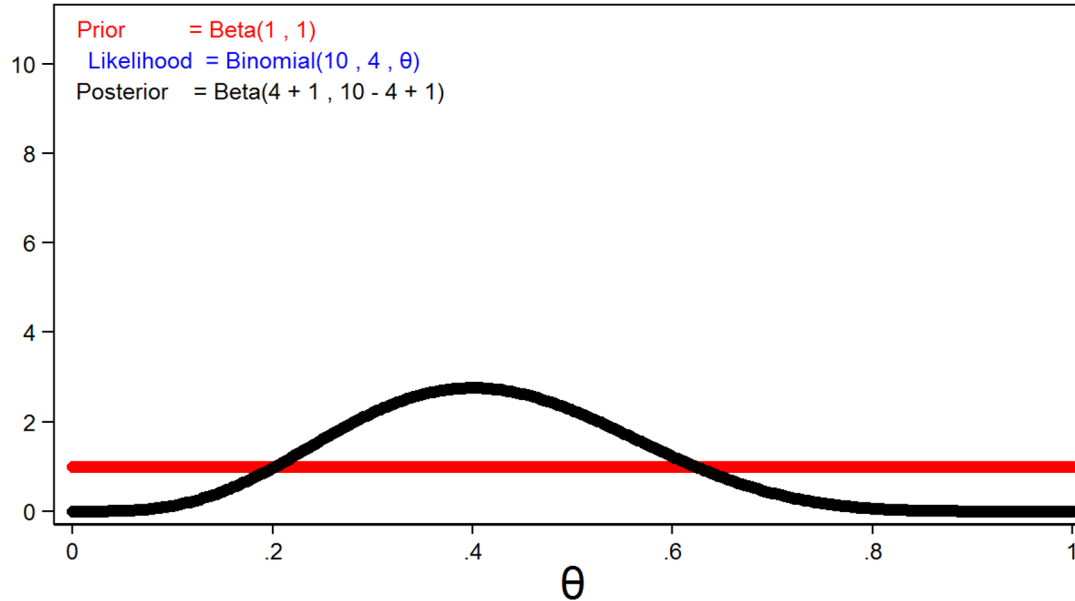
# Update belief based on result of experiment

$$p(\theta|y) = \text{Beta}(\alpha, \beta) \times \text{Binomial}(n, \theta) = \text{Beta}(y + \alpha, n - y + \beta)$$



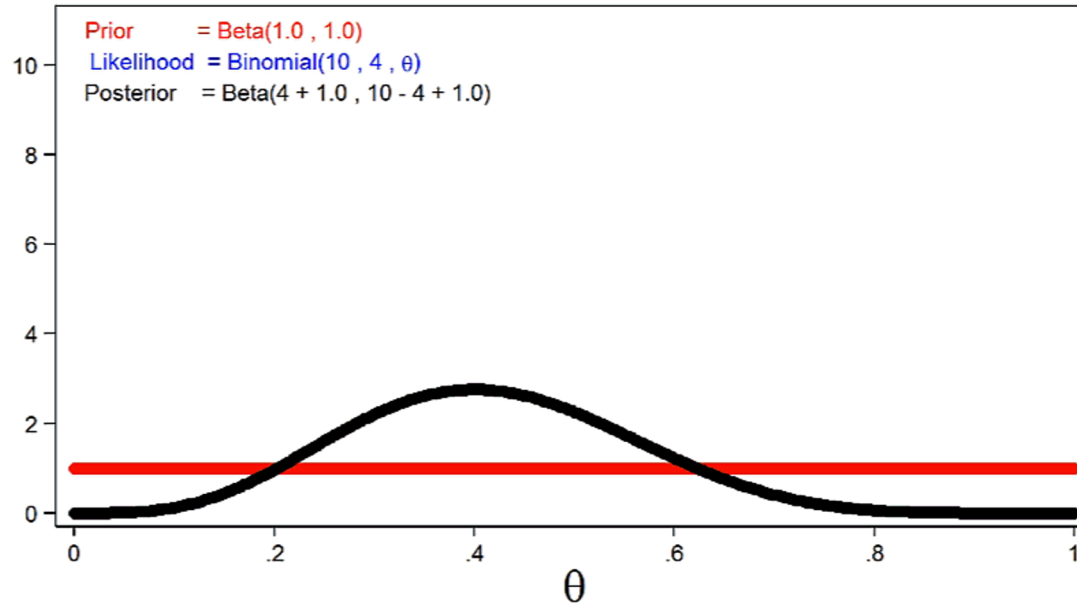
Beta distribution is a **conjugate** prior for binomial likelihood function since **posterior distribution belongs to same family as prior distribution**

# Posterior for Beta(1,1) prior

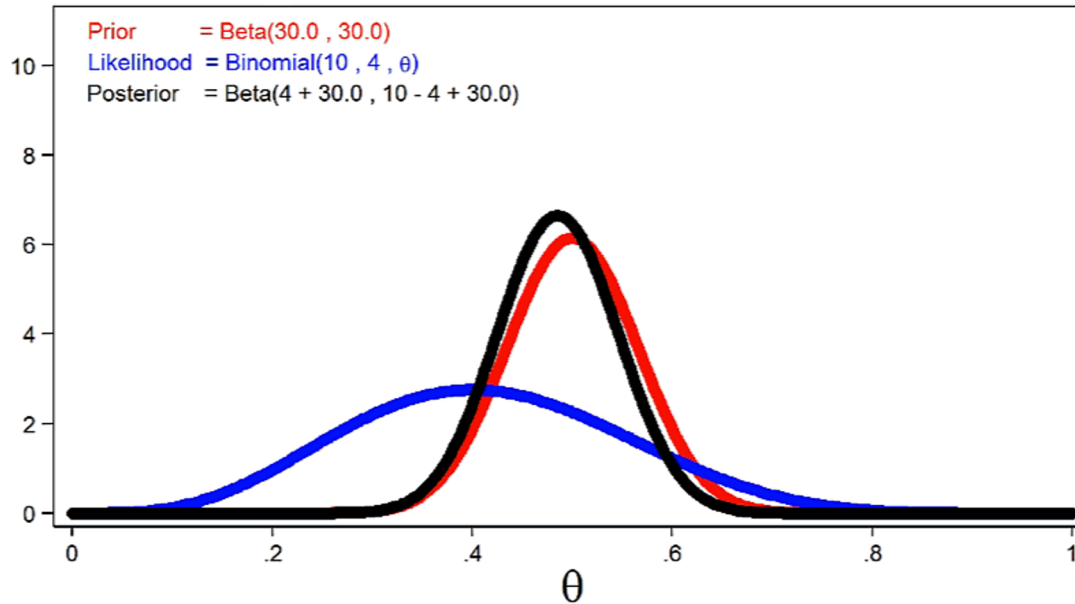


$$p(\theta|y) = \text{Beta}(\alpha, \beta) \times \text{Binomial}(n, \theta) = \text{Beta}(y + \alpha, n - y + \beta)$$

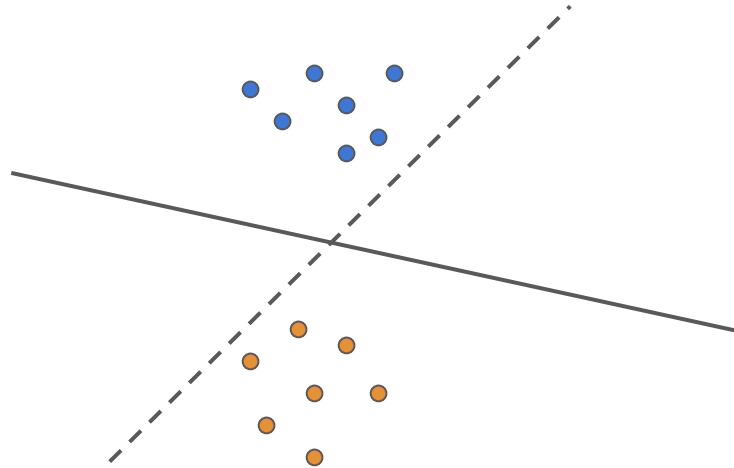
# Effect of more informative prior distribution on posterior distribution



# Effect of larger sample size on posterior distribution



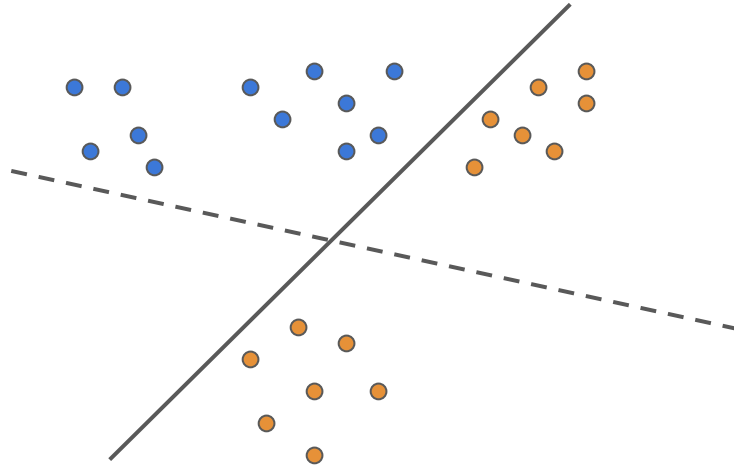
# Example





# Example

- Set prior to previous posterior
- Recompute



# Meta Learning

MIT

Iddo Drori, Fall 2020